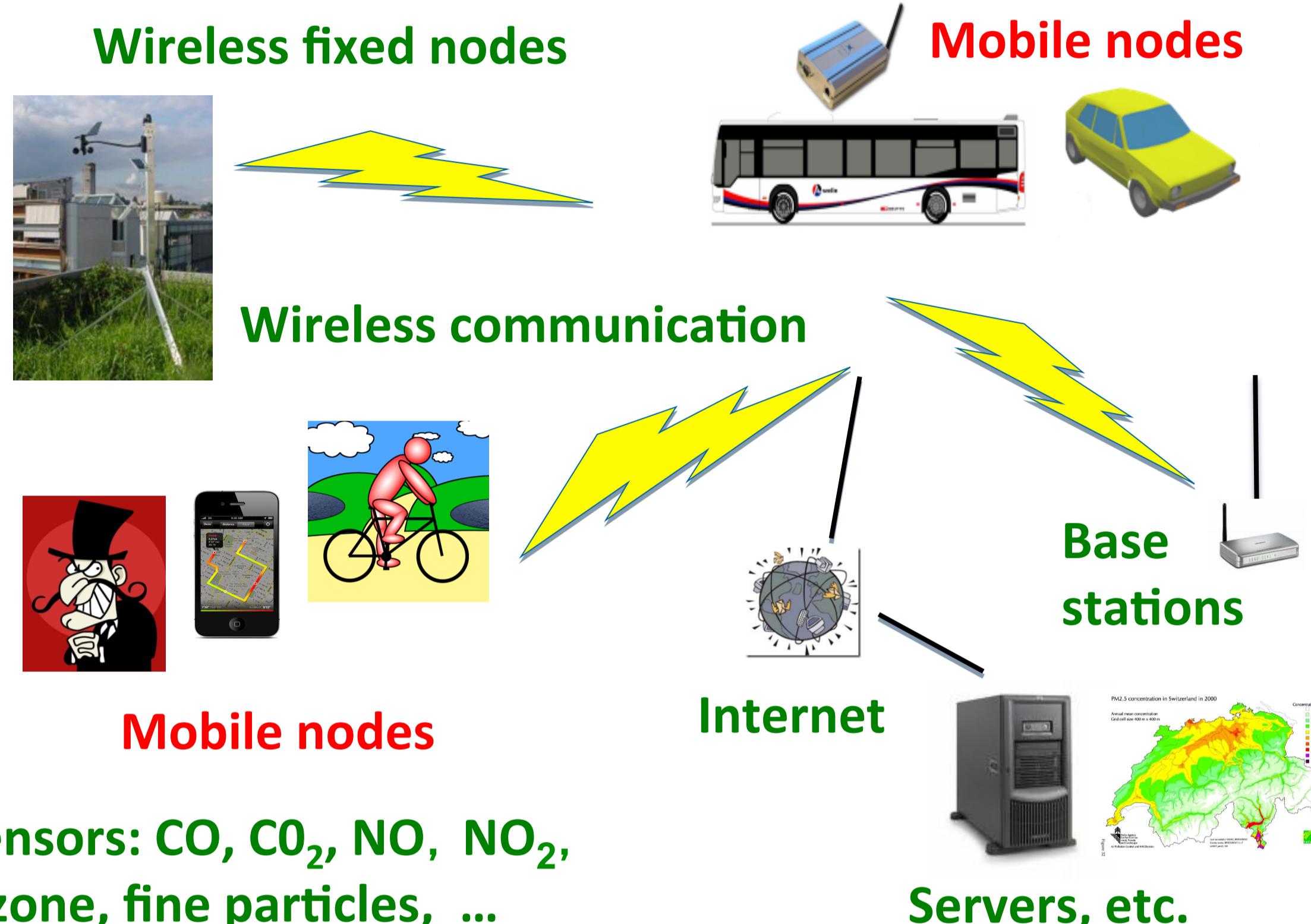


# OptiMoS: Optimal Sensing for Mobile Sensors

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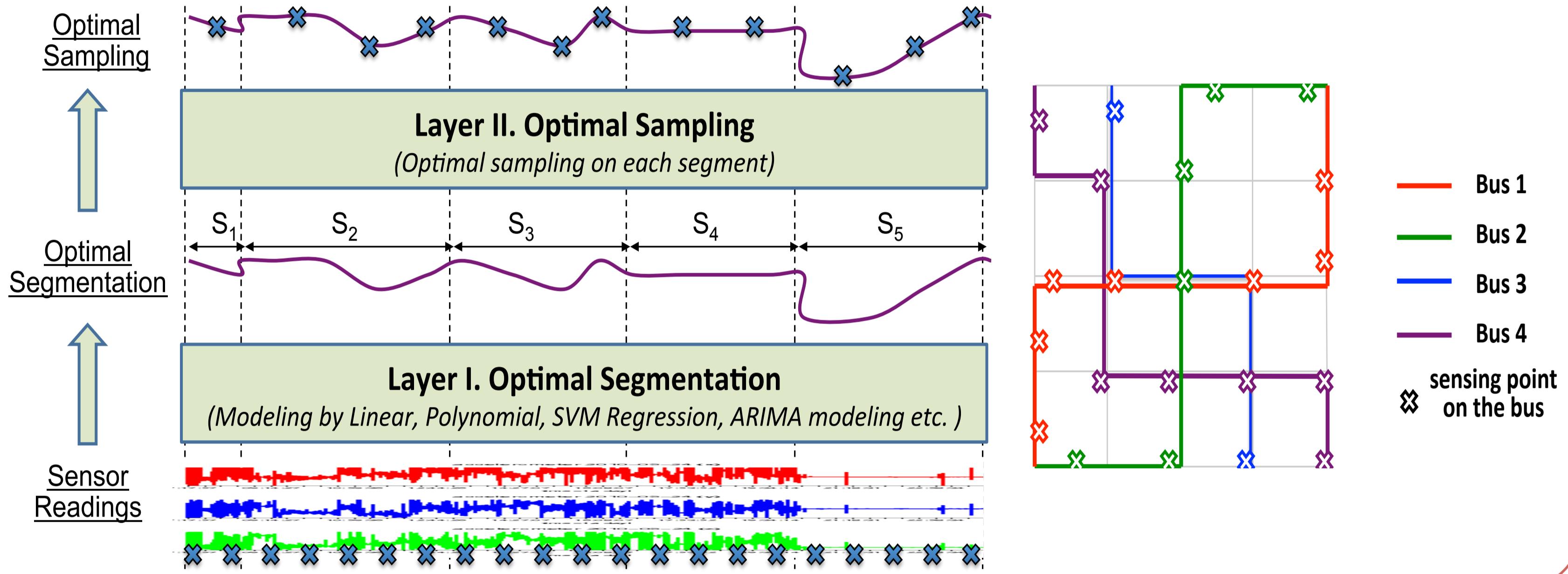
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**OpenSense:** An open environmental sensing platform with massive, heterogeneous, mobile and increasingly miniaturized sensors.



**OptiMoS:** An optimal mobile sensing for achieving appropriate tradeoff between “sensor coverage maximization” and “energy cost (sampling) minimization”.

- ❖ Two-Tier Sensing Platforms: Segmentation and Sampling
- ❖ Optimal sensing for one bus line (a single mobile node), or multiple bus lines
- ❖ Optimal co-sensing among different sensors, e.g., CO, CO<sub>2</sub>, NO<sub>2</sub> ...



## Model-Driven Segmentation of Mobile Sensing

### Problem Statement of Segmentation

#### Initial Sensor Readings

- Sensor reading records
- Each record with time, location, measurements

$$\mathcal{R} = \{R_1, \dots, R_N\}$$

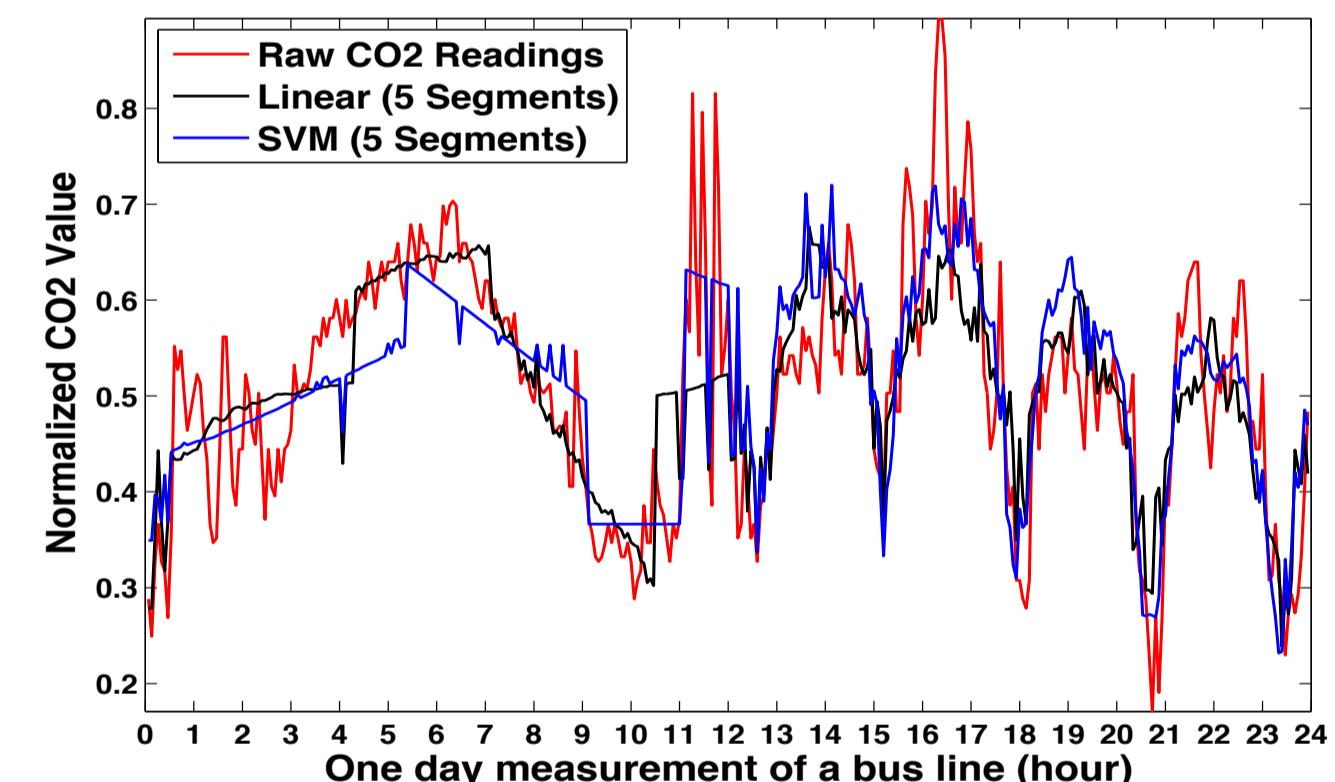
$$R_i = \langle t, l, x_1, \dots, x_m \rangle$$

#### Data-driven Modeling

- Various models: linear, SVM regression, etc.
- Model errors RSS – Residual Sum of Square

#### Optimal Segmentation

$$\underset{K, d_1, d_2, \dots, d_{K-1}}{\operatorname{argmin}} \sum_{i=1}^K \text{RSS}(\mathcal{M}(\{R_{d_{i-1}}, \dots, R_{d_i}\}))$$



### Optimal Segmentation

- Dynamic programming, expensive  $O(K^*N^2)$ , over-fitting

### Top-down Binary Segmentation

- Binary:  $O(K^*\log N)$
- Binary+: better strategy in finding division segment

### Error-based Heuristic Segmentation

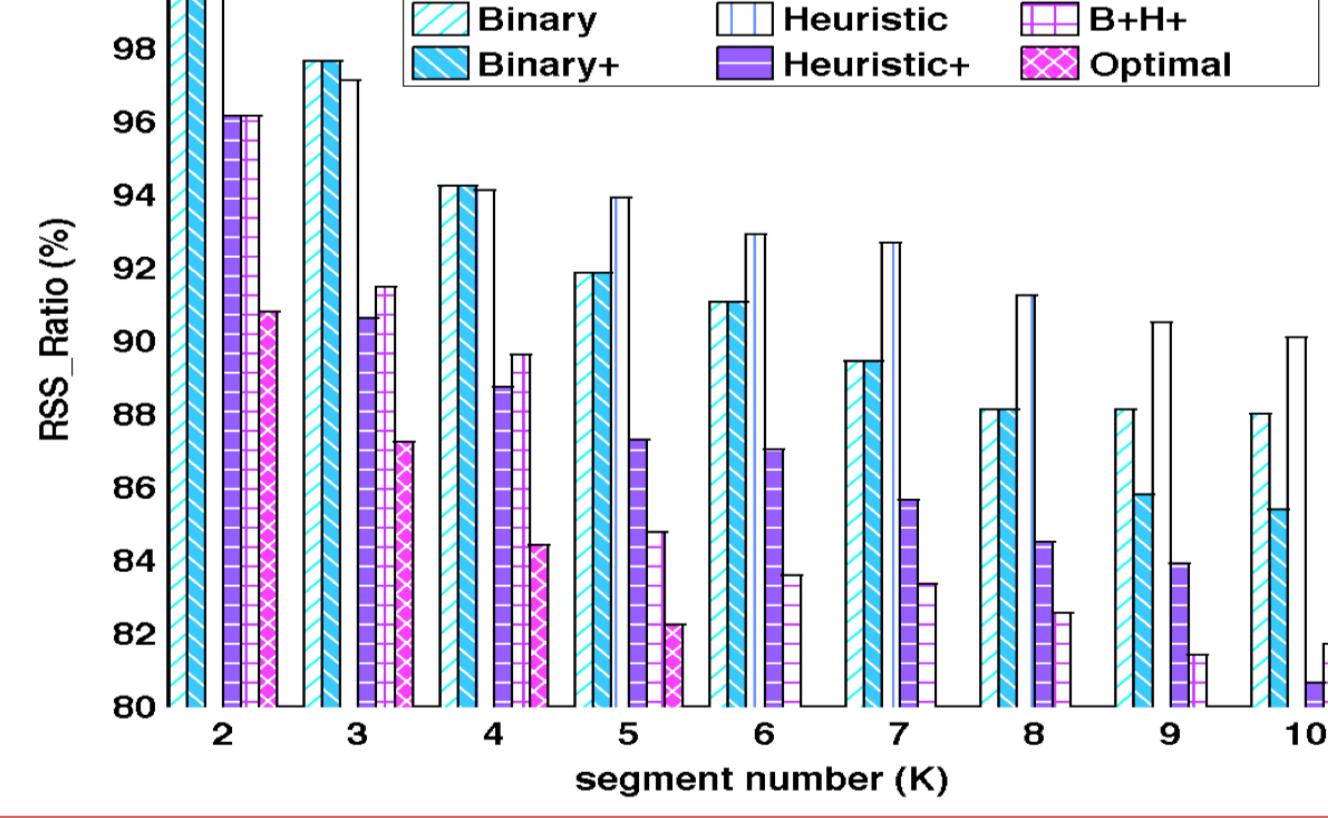
- Heuristic: division by absolute errors
- Heuristic+: division by relative errors

### Near-Optimal Segmentation

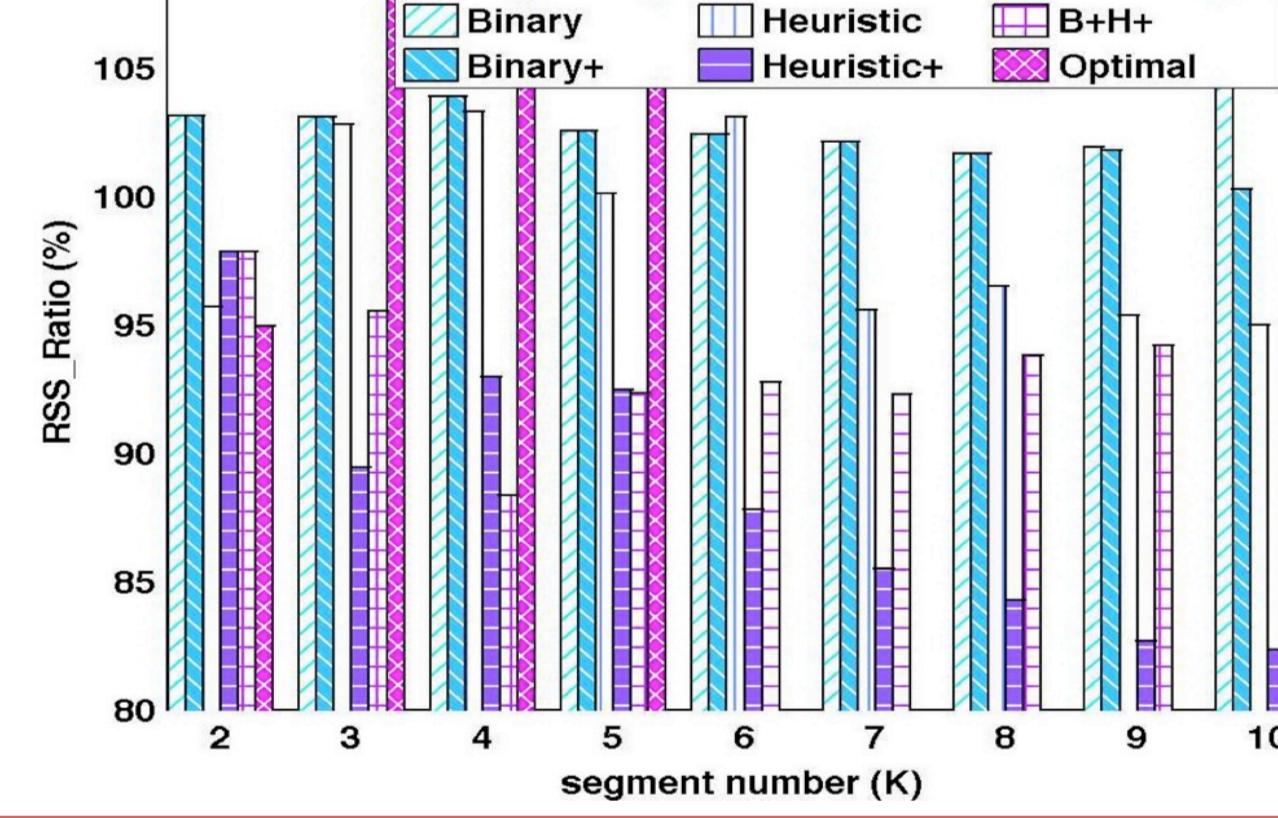
- B+H+: Binary+ with Heuristic+,  $O(K^*N^*\log N)$

### Segmentation Strategies

RSS Ratio using Segmentation (Training by SVM)



RSS Ratio using Segmentation (Testing of SVM)



## Near-Optimal Sampling for Individual Segments

### Sampling Strategies

#### Optimal Sampling

- NP-hard problem

$$\underset{\mathcal{R}_{sub}}{\operatorname{argmin}} \quad \mathcal{L}(\mathcal{R}, \mathcal{R}_{sub}) \quad s.t. \quad |\mathcal{R}_{sub}|/|\mathcal{R}| \leq \delta$$

$$\underset{\mathcal{R}_{sub}}{\operatorname{argmin}} \quad |\mathcal{R}_{sub}|/|\mathcal{R}| \quad s.t. \quad \mathcal{L}(\mathcal{R}, \mathcal{R}_{sub}) \geq \epsilon$$

#### Distribution-based Sampling

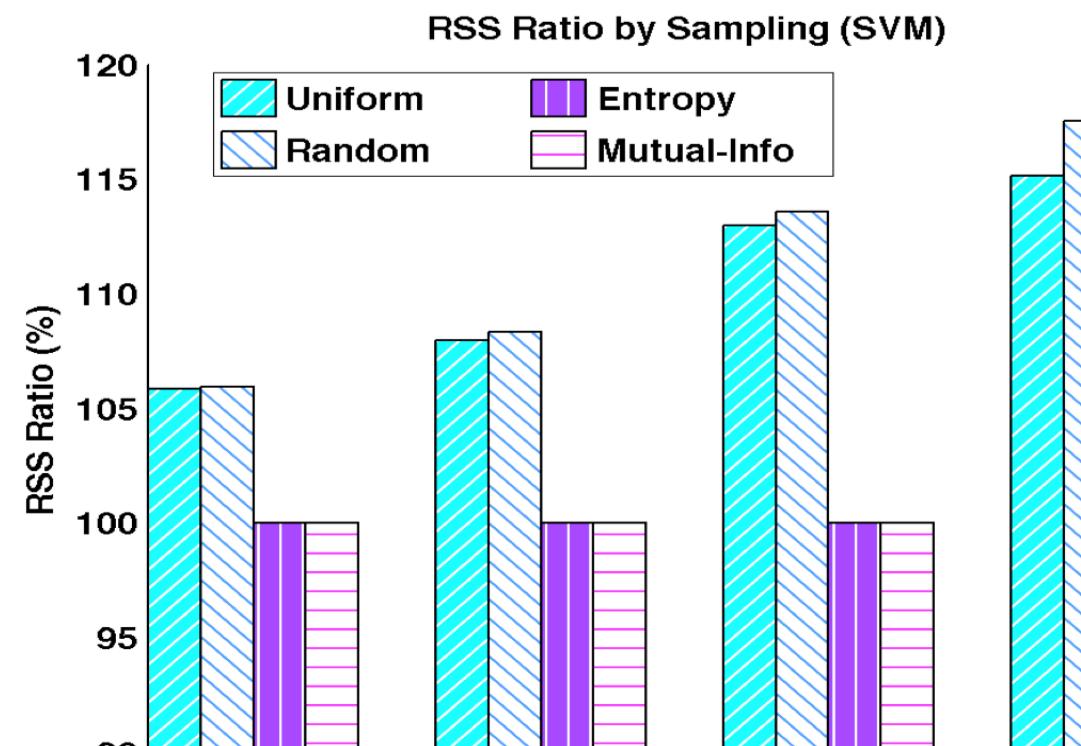
- Uniform: regular duty cycle readings
- Random: irregular duty cycle readings

#### Entropy (Error) based sampling

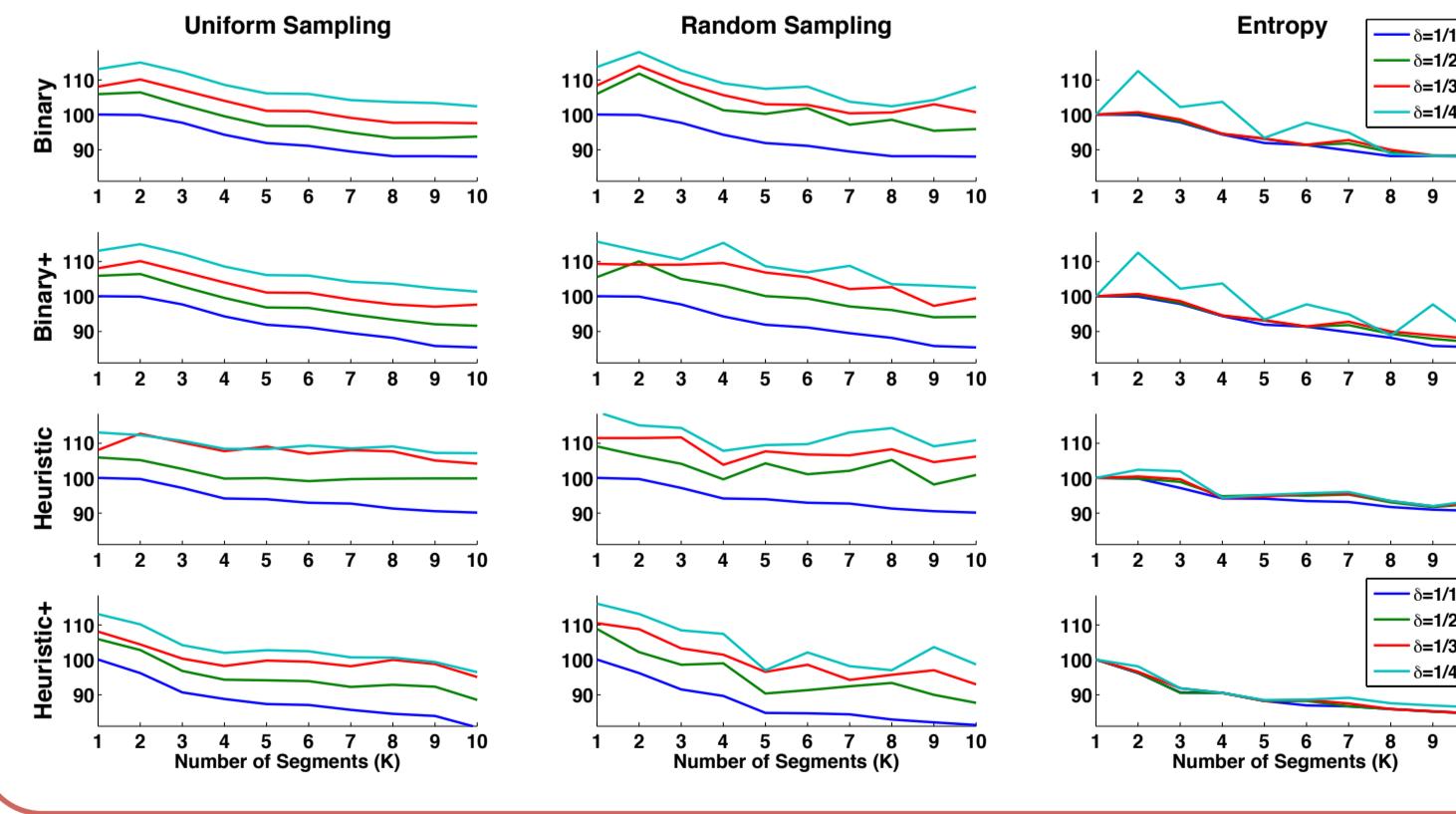
- Selecting points with top entropy

#### Mutual Information based sampling

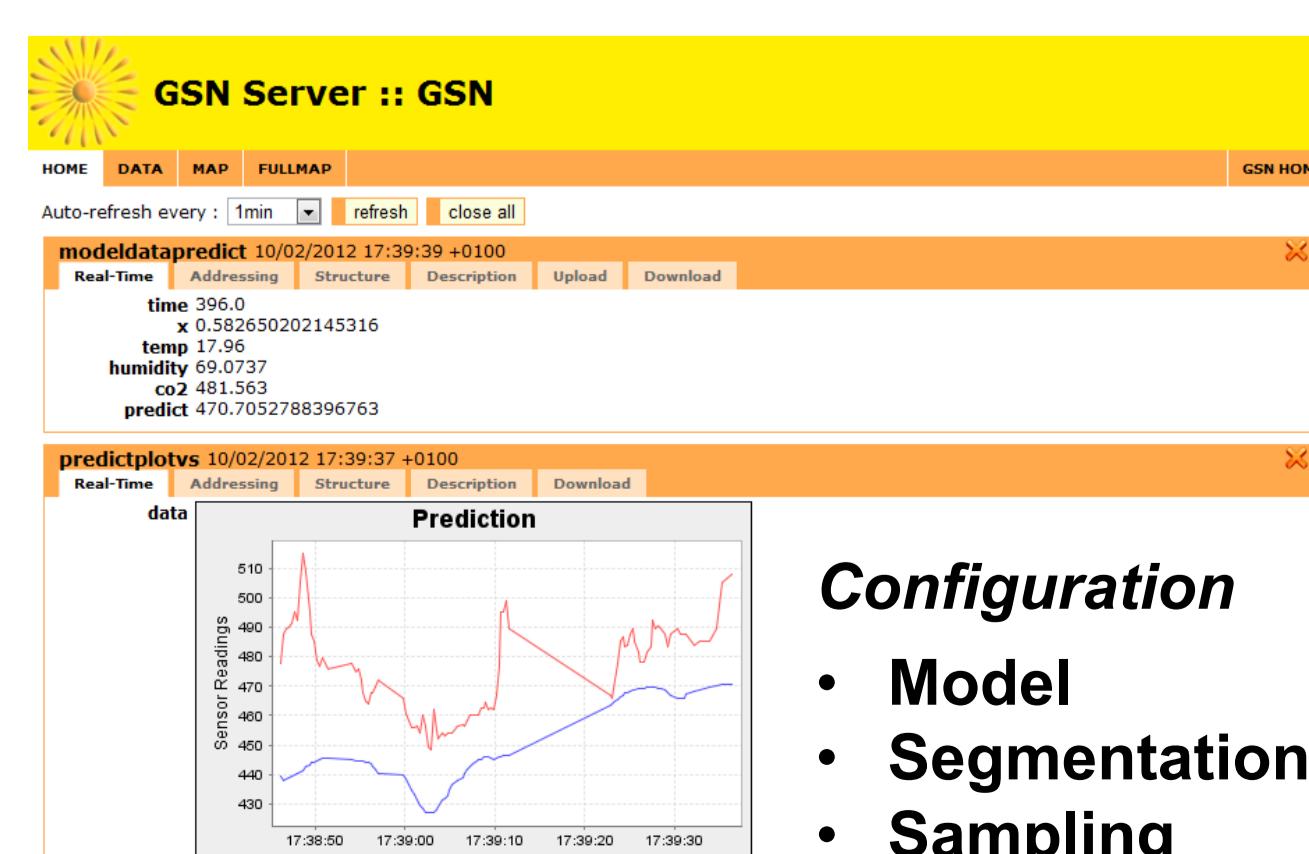
- Remove information redundancy
- Recalculate entropy after each selection/sampling



### Two-tier Combinations



### Integration with GSN for real-time data prediction



**Visualization:** create pollution map by model prediction from limited measurements.

