

Adaptive Sampling for Characterizing Sensor Accuracy and Sensor Selection

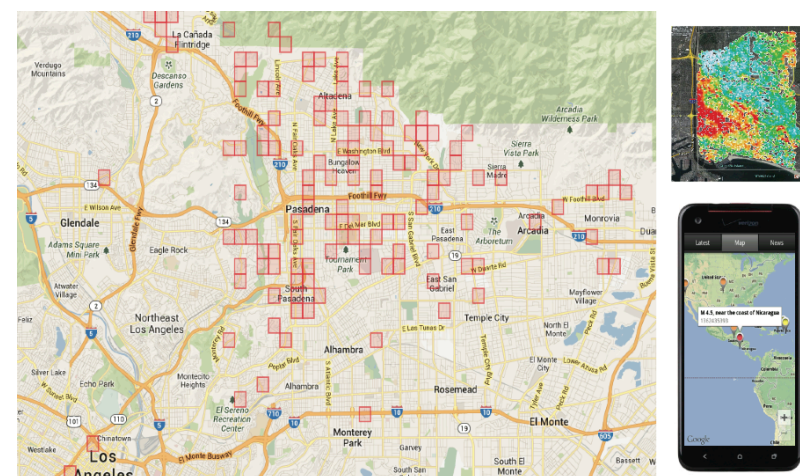
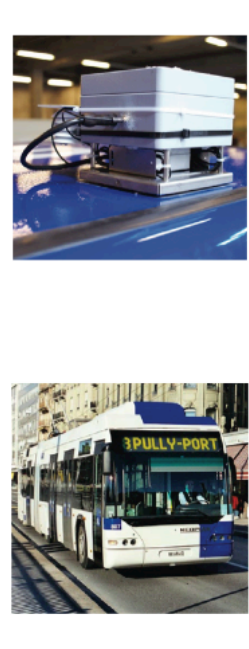
Community Sensing

Estimate spatial phenomenon

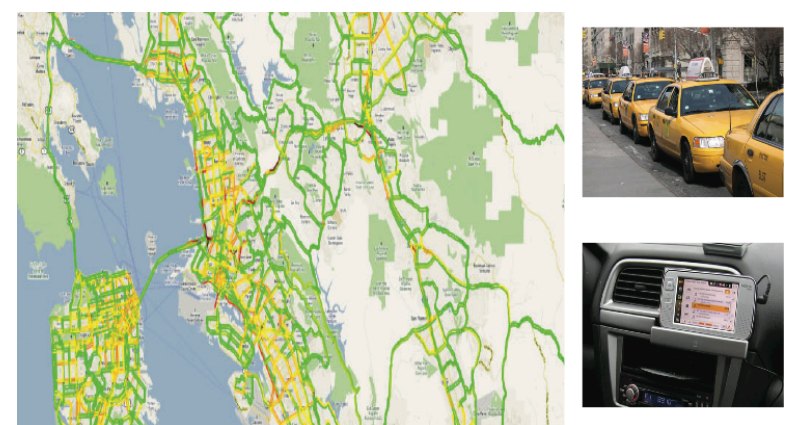
- Community owned devices
- Low-cost sensors
- Dense sensing network



OpenSense 2:
Air quality monitoring
Lausanne/Zurich



Community Seismic Network (CSN)
Earthquake monitoring
Pasadena, California

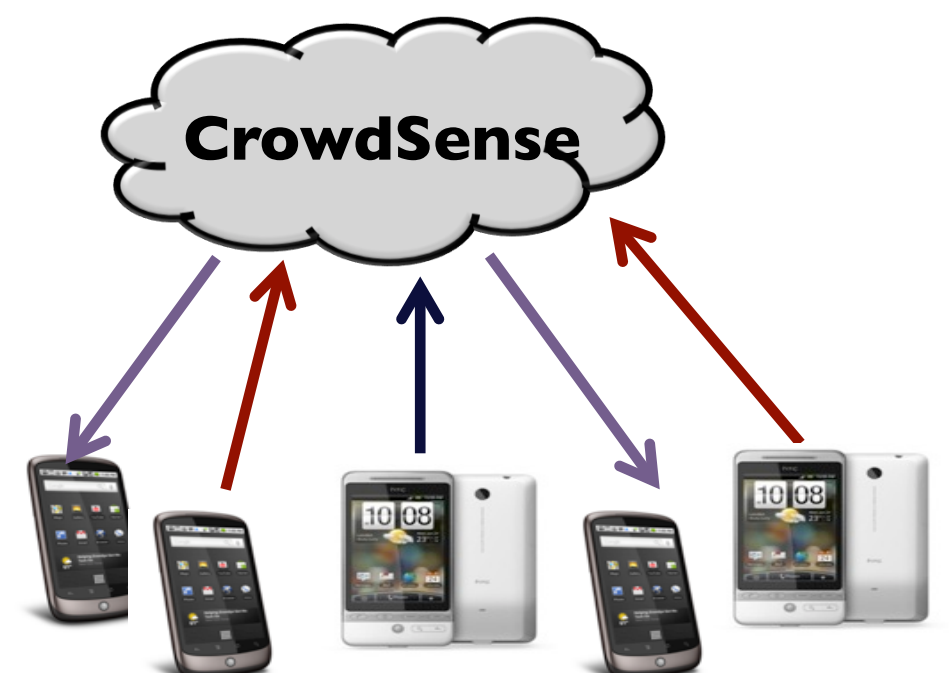


Mobile Millennium:
Traffic monitoring
Berkeley, California

Sensor Selection Problem

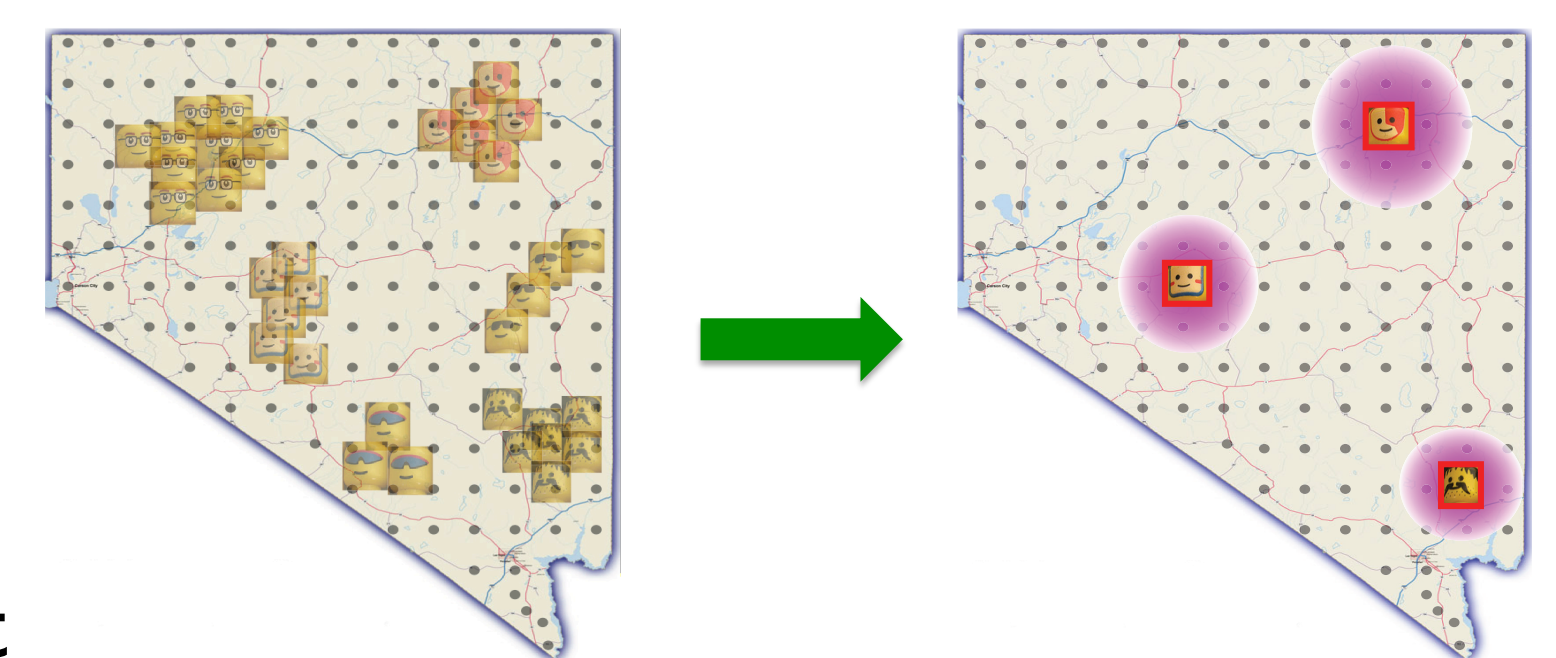
Challenges

- Typical sensors for crowdsensing **can't be continuously monitored**
- Concerns about privacy, bandwidth, energy, etc.
- Heterogeneity and unknown sensors' accuracies



Goal

- Optimally select
 - which sensors to query
 - which data to retrieve
- Balancing utility and sensing cost



Exploration vs. exploitation tradeoff

Characterizing Sensor Accuracy

When accuracy is known

- Set of sensors V with known accuracy
- Utility of selected sensors $S \subseteq V$ is given by $f(S)$
- f is submodular set function
 - Notion of diminishing returns
 - Captures many complex utility functions
- Marginal gain: $f(a|S) = f(S \cup \{a\}) - f(S)$

$$\begin{aligned} &\text{gain of adding } \square \text{ to a smaller set} \\ &F\left\{\begin{smallmatrix} \square & \square \\ \blacksquare & \square \end{smallmatrix}\right\} - F\left\{\begin{smallmatrix} \square & \square \\ \blacksquare & \blacksquare \end{smallmatrix}\right\} \\ &\geq \\ &F\left\{\begin{smallmatrix} \square & \square \\ \blacksquare & \square \end{smallmatrix}\right\} - F\left\{\begin{smallmatrix} \square & \square \\ \blacksquare & \blacksquare \end{smallmatrix}\right\} \\ &\text{gain of adding } \square \text{ to a larger set} \end{aligned}$$

Realistic settings: Unknown accuracy

- Equivalent to unknown utility function f
- Estimate gain $f(a|S) = f(S \cup \{a\}) - f(S)$ via sampling
- Given noisy estimates, need to select sensors, i.e. compare $f(a|S)$ vs. $f(b|S)$

Main research problem addressed

- Provably optimal adaptive sampling techniques for maximizing unknown submodular function [Singla et al. AAAI'16]

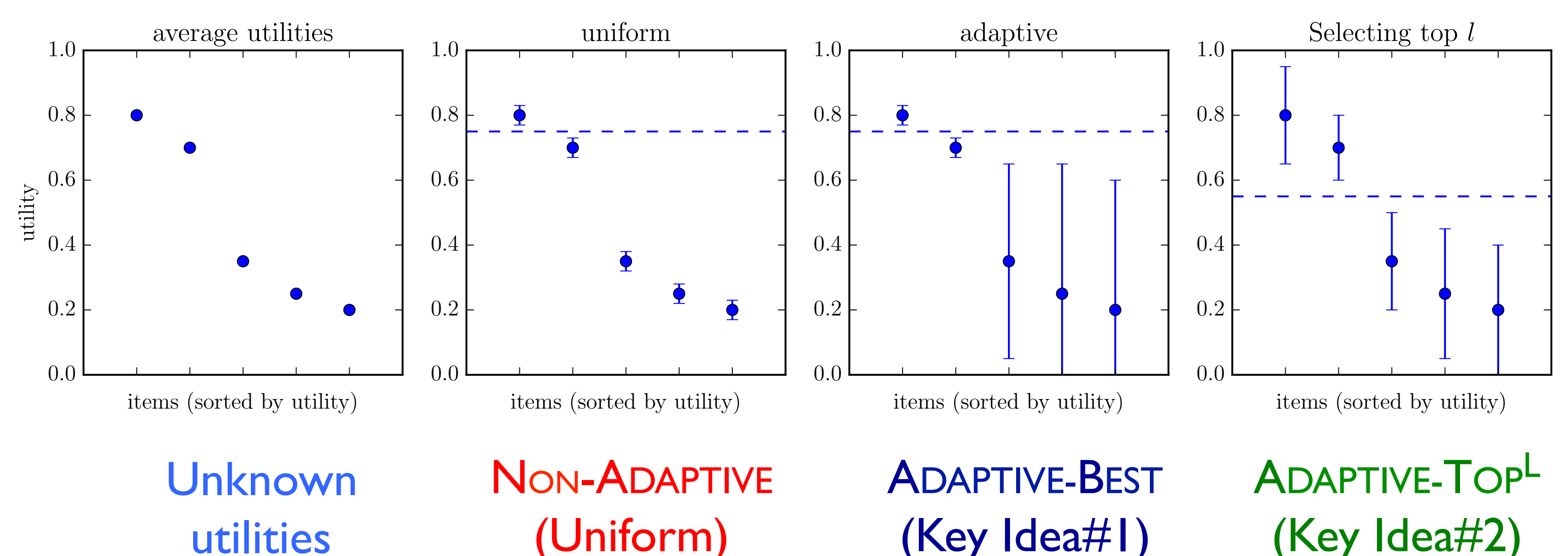
Key Ideas for Adaptive Sampling

Existing approach: Uniform sampling

- Sample all sensors uniformly and non-adaptively
- Estimate $f(a|S)$ up to desired confidence ϵ
- High sample complexity (i.e. the number of queries performed or samples acquired)

Key ideas to reduce sample complexity

- Estimate marginal gains only up to the confidence needed to select next best sensor
- Sufficient to select a sensor from a small subset of top-L best instead of the best sensor (where L is adaptively chosen)



Theoretical Guarantees

Theorem 1 – Utility acquired

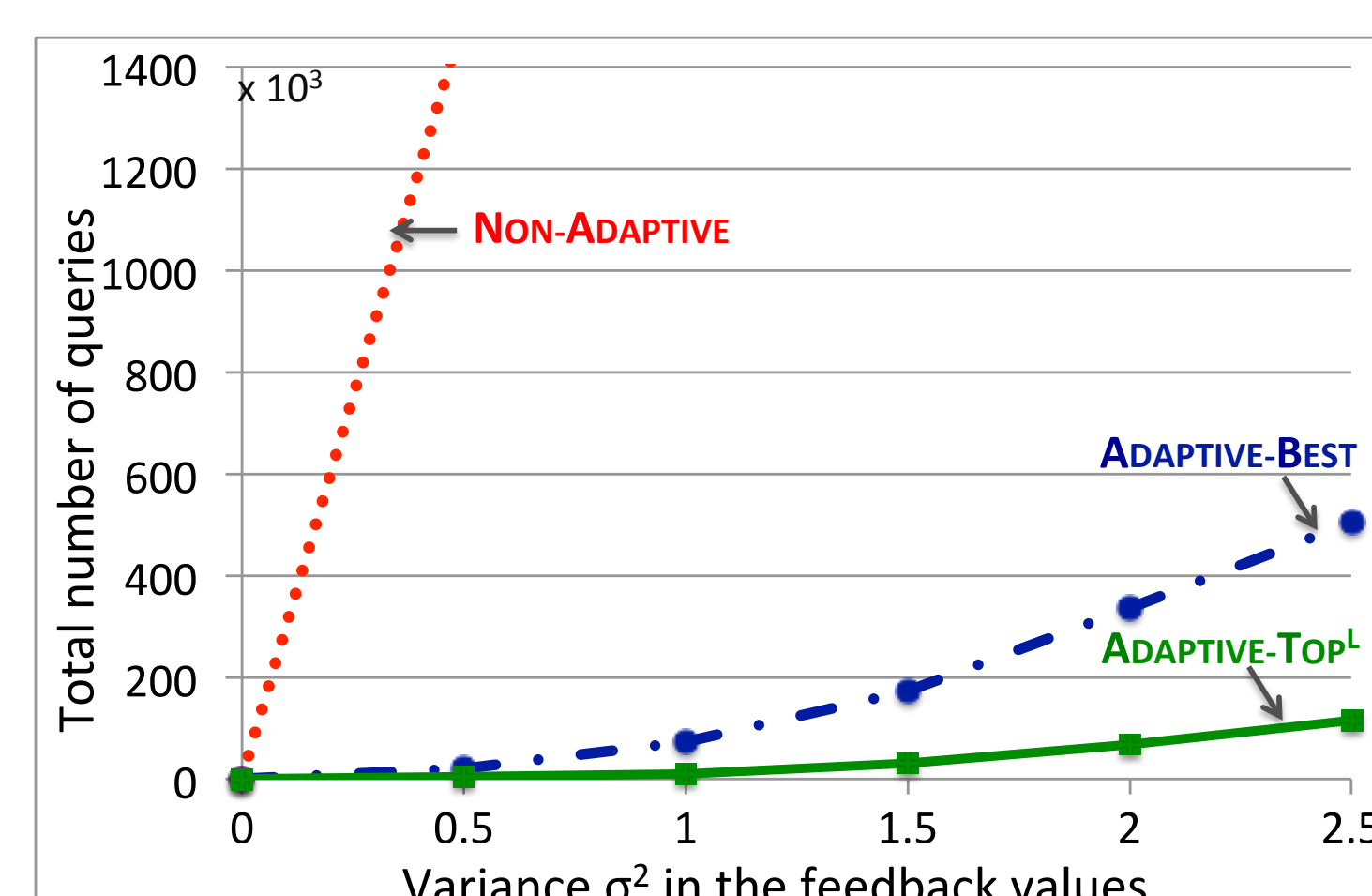
- Tight guarantees (lower bounds) on the utility acquired

Theorem 2 – Sample complexity

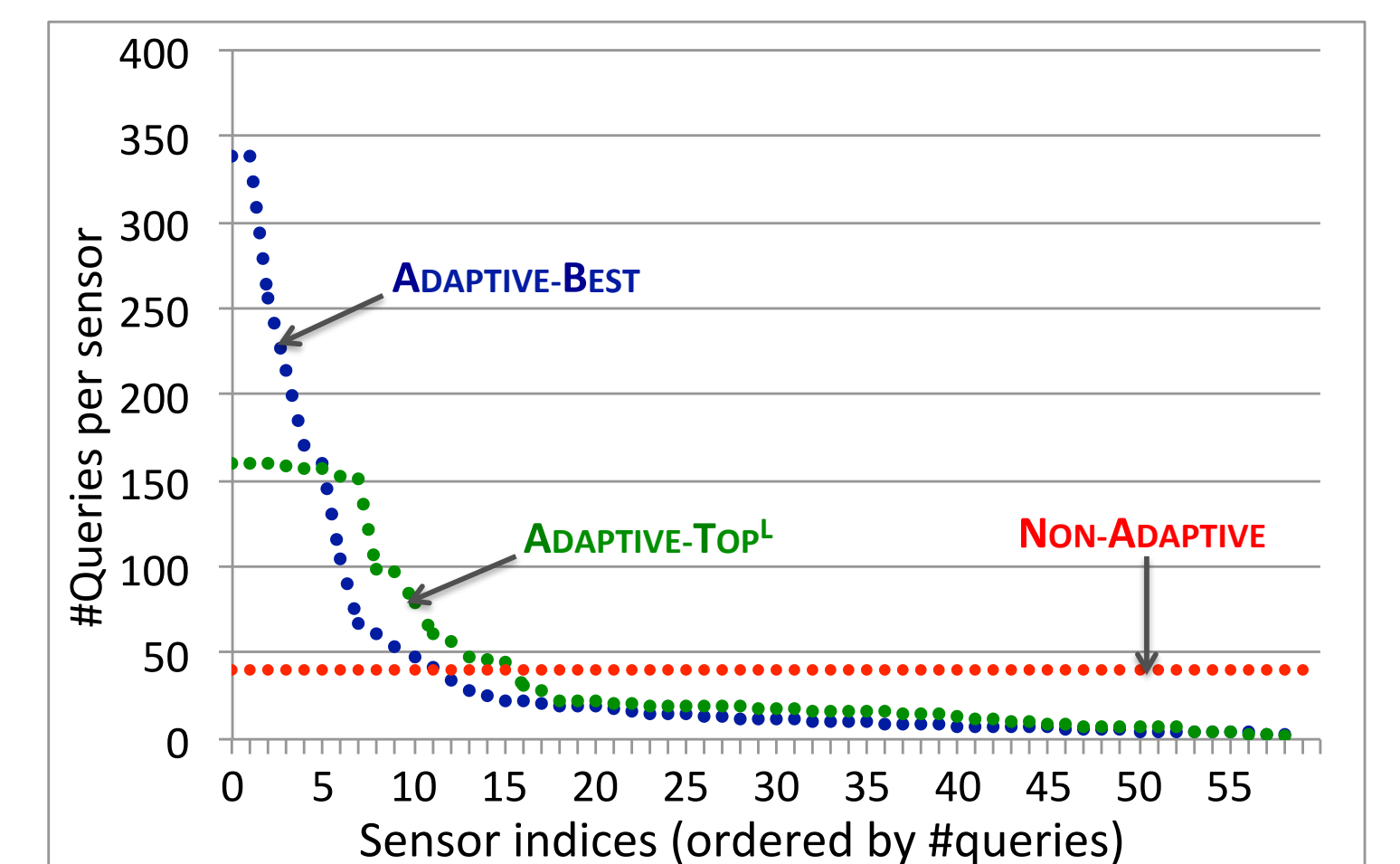
- Tight guarantees (upper bounds) on the sampling cost

Formal statements and technical details in Singla et al. AAAI'16

Experimental Results



Sample complexity
(Total number of queries)



Exploration across sensors
(Distribution of queries in one iteration)